MAC2311 Class Number 15534 QUIZ 2 1/24/2019

Name: SOLUTIONS

1. Find the limit:

$$\lim_{x \to 0} \frac{x^2 + 2x - 8}{x^2 + x - 4} = \frac{0 + 2(0) - 8}{0 + 0 - 4}$$
$$= \frac{-8}{-4} = \boxed{2}$$

2. Let $f(x) = \frac{x^2 + x - 6}{x^2 - x - 2}$. How would you define f(2) in order to make f continuous at 2?

$$f(x) = \frac{(x+3)(x-2)}{(x+1)(x-2)} = \frac{x+3}{x+1}$$
 : FIND $f(z)$ FOR $f(x) = \frac{x+3}{x+1}$

3. Let

$$f(x) = \begin{cases} (x-3)^2 - 10 & -\infty < x \le -2 \\ x+6 & -2 < x \le -1 \\ x^2 - 3x + 1 & -1 < x < \infty \end{cases}$$

Find the numbers at which f is discontinuous. At which of these points of discontinuity is fcontinuous from the right? At which of these points of discontinuity is f continuous from the left? # LOOK @ "CHANGE" POINTS, X=-2, X=-1

1. lim
$$f(x) = (-2 - 3)^2 - 10 = (-5)^2 - 10 = 15$$

 $x \to -2$
 $\lim_{x \to -2} + f(x) = (-2 + 6) = 4$ SINCE $\lim_{x \to -2} + f(x) \neq \lim_{x \to -2^+} + f(x)$, fis
DISCONTINUOUS AT $x = -2$. SINCE f is
DEFINED AT $x = -2$ From THE CEPT.

$$x \rightarrow -1 + 2 = 1 + 3 + 1 = 5$$

$$x \rightarrow -1 + 2 = 1 + 3 + 1 = 5$$

$$x \rightarrow -1 + 2 = 1 + 3 + 1 = 5$$

$$x \rightarrow -1 + 2 = 1 + 3 + 1 = 5$$

DEFINED AT X=-2 FROM THE LEF f 15 CONTINUOUS AT X=-2 FROM TH 1:m f(x)=(-1)2-3(-1)+1 (EFT. f 1) NOT CONT INUOUS AT x =-2
x>-1 = 1+3+1 =5 From THE RIGHT.